Code No. 8563/CBCS/O

#### **FACULTY OF SCIENCE**

M. Sc. IV - Semester Examination, May / June 2019

Subject : Physics

Paper - I: Nuclear Physics

Time: 3 Hours

Max. Marks: 80

Note: Answer all questions from Part–A and Part–B. Each question carries 4 marks in Part–A and 12 marks in Part – B.

# PART – A (8 x 4 = 32 Marks) (Short Answer Type)

1 Write semi-empirical mass formula and explain it briefly.

2 Define Yukawa potential.

3 What do you mean by  $\alpha$  - decay?

4 What do you mean by multipole radiation?

5 What are stopping power and range of particle in matter?

6 Explain about range-energy relation.

- 7 What do you mean by compound nucleus?
- 8 Explain the Q-value of nuclear reaction.

# PART – B (4 x 12 = 48 Marks) (Essay Answer Type)

9 (a) Give the salient feature of nuclear shell model point out its successes and failures.

OR

- (b) Explain about electric quadropole moment of nucleus and discuss its physical significance.
- 10 (a) Explain about the fine structure of  $\alpha$ -spectrum on the basis of Gamow's theory.

OR

- (b) What is the Fermi's theory of  $\beta$ -decay? Give its salient features.
- 11 (a) Mention the processes that are mainly responsible for the attenuation of gamma rays and explain them.

OR

- (b) Describe the working principle and construction of scintillation detector.
- 12 (a) Give the classification of elementary particles and discuss the quark model.

OR

(b) Explain the differences between fission and fusion reactions and explain the Lepton number.

M. Sc. IV - Semester Examination, May / June 2019

Subject: Physics / Applied Electronics

Paper - II: (CB) Spectroscopy

Time: 3 Hours

Max. Marks: 80

Note: Answer all questions from Part–A and Part–B. Each question carries 4 marks in Part–A and 12 marks in Part – B.

PART – A (8 x 4 = 32 Marks) (Short Answer Type)

1 Explain briefly about L-S and jj coupling schemes.

2 Obtain the spectral terms arising in  $P^2$  and P.P configuration.

3 Discuss about the types of molecular spectra.

- 4 Discuss briefly about the rotational spectra of a rigid rotation.
- 5 Explain the normal vibrations of CO<sub>2</sub> and H<sub>2</sub>O molecules.
- 6 Differentiate between Raman and Infrared spectra.

7 What are the applications of ESR?

8 What are spin-lattice and spin-spin relaxation process?

### PART – B (4 x 12 = 48 Marks) (Essay Answer Type)

9 (a) Evaluate the g-factor in LS and jj coupling schemes.

OR

- (b) Obtain the energy expression due to spin-orbit interaction.
- 10 (a) How do you evaluate the rotational constants from the given rotational spectra?
  - (b) What is the effect of isotopic substitution on rotational spectra? Give one application of it.
- 11 (a) Explain the principle and working of FTIR spectrophotometer.

OR

- (b) Discuss classical and quantum theory of Raman effect.
- 12 (a) What is an NMR? Explain the experimental set-up for study of NMR spectra.

OR

(b) What is resonance condition in ESR? Obtain the expression for resonance condition.

M. Sc. IV - Semester Examination, May / June 2019

Subject : Physics (Specialization : Electronic Instrumentation)

Paper – III: Instrumentation for Measurement and Data Transmission

Time: 3 Hours Max. Marks: 80

Note: Answer all questions from Part–A and Part–B. Each question carries 4 marks in Part–A and 12 marks in Part – B.

### PART – A (8 x 4 = 32 Marks) (Short Answer Type)

- 1 Distinguish between active and passive transducer.
- 2 What is displacement transducer?
- 3 What is the principle used for pressure measurement in piezoelectric transducer?
- 4 Give the classification of temperature measuring devices.
- 5 With a block diagram, explain closed-loop process control.
- 6 Give the configuration of IEEE 488 bus.
- 7 What are the methods used for data transmission?
- 8 What is digital data transmission?

and the last

### PART – B (4 x 12 = 48 Marks) (Essay Answer Type)

9 (a) What are the basic requirements for a transducer? Explain the working principle of a variable capacitance transducer, for displacement measurement.

#### OR

- (b) Give the theory of operation of a strain-gauge. Explain the working principle of full bridge strain gauge in detail.
- 10 (a) Explain the working principle of platinum-resistance thermometer. Comment on different types of thermocouples.

#### OR

- (b) What is Venturi tube? Explain the principle of it and compare with Pitot tube.
- 11 (a) Obtain closed loop transfer function of servomotor, used for process control.
  - (b) What is interfacing of a transducer? Explain how digital to analog multiplexer can be used for interfacing a transducer.
- 12 (a) Describe the functional blocks of telemetry systems. Distinguish between types of telemetric systems.

#### OR

(b) Explain PAM and PCM telemetering. Which is better for telemetric transmission of voltage telemetry system?

M. Sc. IV - Semester Examination, May / June 2019

Subject : Physics (Specialization : Electronic Instrumentation)

Paper - IV: Embedded Systems and its Applications

Time: 3 Hours Max. Marks: 80

Note: Answer all questions from Part–A and Part–B. Each question carries 4 marks in Part–A and 12 marks in Part – B.

PART – A (8 x 4 = 32 Marks) (Short Answer Type)

- 1 What are the flag bits and PSW register of 8051 micorcontroller?
- 2 Explain accessing memory using various addressing modes.
- 3 Explain the packed and unpacked BCD numbers.
- 4 Write and discuss the single bit instructions with example.
- 5 Draw the Memory organization and discuss.
- 6 Explain the function of I/O ports in Flash microncontroller.
- 7 Explain the diagram of RPM meter and explain.
- 8 What are applications of PID controllers?

#### PART – B (4 x 12 = 48 Marks) (Essay Answer Type)

9 (a) Draw the diagrams of RISC and CISC processors. Explain.

OR

- (b) Explain the special function registers associated with timer / counter programming.
- 10 (a) Explain various arithmetic instructions with examples in 8051 microcontroller.

OF

- (b) With examples discuss the time delay generation program.
- 11 (a) Draw the pin diagram of PIC 16C6X/7X microcontroller and discuss the significance of each pin.

OR

- (b) Explain the interfacing of ADC to PIC 16F8XX microcontroller.
- 12 (a) What are the latches and relays? Explain their functioning.

OR

(b) Draw the diagram of Digital Thermometer and explain its working.

M.Sc. IV - Semester Examination, May / June 2019

Subject: Maths / Applied Mathematics

# Paper – I Advanced Complex Analysis

Time: 3 Hours

Max.Marks: 80

Note: Answer all questions from Part-A and Part-B.

Each question carries 4 marks in part-A and 12 marks in Part-B.

PART – A (8x4 = 32 Marks) [Short Answer Type]

- 1 State and prove Walli's product formula
- 2 Find the order of growth of  $e^{bz^n}$  for  $b \ne 0$ .
- 3 If Re(s) > 0, then prove that  $\Gamma$  (s+1) =  $\Gamma$  (s).
- 4 Prove that  $\xi(s) = \xi(1-s) \not\vdash s \in C$ .
- 5 Prove that  $\zeta(s)^2 = \sum_{n=1}^{\infty} \frac{d(n)}{n^s}$  for Re(s) > 1.
- 6 Prove that  $\frac{1}{\zeta(s)} = \sum_{n=1}^{\infty} \frac{\mu(n)}{n^s}$  for Re(s) > 1.
- 7 Define a conformal mapping and give an example.
- Prove that  $u(x,y) = Re \frac{i+z}{i-1}$  and u(0,1) = 0 is harmonic in the unit disc and is zero on its boundary.

PART – B (4x12 = 48 Marks) [Essay Answer Type]

9 a) Prove that the canonical products satisfy  $|E_k(z)| \ge e^{-c|z|^{k+1}}$  for  $|z| \le \frac{1}{2}$  and  $|E_k(z)| \ge ||z|| - |z| e^{-c'|z|^k}$  for  $|z| \ge \frac{1}{2}$  for some c,  $|z| \le \frac{1}{2}$ .

OR

- b) Find Hadamard's products for
  - i) Sin  $\pi z$
  - II)  $\cos \pi z$ .
- 10 a) Prove that Γ(s) defined for Re(s) > 0 has an analytic continuation to a meromorphic function on ¢ where only poles are 0, -1, -2, ...

b) For all  $s \in C$ , prove that  $\frac{1}{\Gamma(s)} = e^{rs} s \prod_{n=1}^{\infty} (1 + \frac{s}{n}) e^{\frac{-s}{n}}$ .

11 a) If  $\psi(x) \sim x$  as  $x \to \infty$ , then prove that  $\pi(x) \sim \frac{x}{\log x}$  as  $x \to \infty$ .

OR

- b) Prove that, for Re(s) > 1,  $\frac{\zeta'(s)}{\zeta(s)} = -\sum_{h=1}^{\infty} \frac{\wedge (n)}{n^s}$ .
- 12 a) If H, D respectively denote the upper half plane and the unit disc, then prove that F:  $H \rightarrow D$  is a conformal map, where  $F(z) = \frac{i-z}{i+z}$ ,  $z \in H$ .

OR

b) State and prove the Schwarz's lemma.

\*\*\*

M.Sc. IV - Semester Examination, May / June 2019

Subject: Mathematics Paper - II: General Measure Theory

Time: 3 Hours

Max.Marks: 80

Note: Answer all questions from Part-A and Part-B.

Each question carries 4 marks in part-A and 12 marks in Part-B.

PART - A (8x4 = 32 Marks)

[Short Answer Type]

Let  $(X,B,\mu)$  be a measure space and g a non-negative measurable function on X.

Define  $v(E) = \int g d\mu$ . Show that v is a measure on B.

Define a  $\sigma$ -finite measure on a measurable space. Give an example of a  $\sigma$ -finite

Prove that a countable union of negative sets is a negative set. Show that if v is a signed measure such that  $v \perp \mu$  and v = 0.

Define a measure  $\mu$  on an algebra A of subsets of X and also define outer measure  $\mu$ induced by  $\mu$ .

Prove that the set of all measurable rectangles is a semi-algebra.

Prove that, under usual notations,  $\mu_*(E) \leq \mu^*(E)$ 

If  $\mu(X) < \infty$ , then prove that  $\mu(E) = \mu(X) - \mu(E)$ 

# PART B (4x12 = 48 Marks) [Essay Answer Type]

a) State and prove generalized Falou's lemma.

b) Suppose that to each a final countable dense set D of real numbers there is assigned. a set  $B_o \in B$  such that  $B_o \subset B_\beta$  for  $\alpha < \beta$ . Then prove that there is a measurable extended real valued function f on X such that  $f \le \alpha$  on  $B_a$  and  $f \ge \alpha$  on  $X - B_a$ 

10 a) State and prove Hahn's decomposition theorem.

State and prove Jordan decomposition theorem.

11 a) State and prove Tonelli's theorem.

Prove that the class B of all  $\mu$  - measurable sets is  $\sigma$  -algebra.

2 a) Let  $\langle A_i \rangle$  be a disjoint sequence of sets in an algebra A. Then prove that, under usual

notation, 
$$\mu_{\bullet}\left(E \cap \bigcup_{i=1}^{\infty} A_{i}\right) = \sum_{i=1}^{\infty} \mu_{\bullet}\left(E \cap A_{i}\right),$$

Let Γ be a set of real valued functions on a set X. If μ is a Caratheodory outer measure w.r.t.  $\Gamma$  then prove that every function in  $\Gamma$  is  $\mu$  - measurable.

M.Sc. IV - Semester Examination, May / June 2019

Subject: Mathematics / Applied Maths

Paper – III (A)

Integral Equations and Calculus of Variations

Time: 3 Hours

Max.Marks: 80

Note: Answer all questions from Part-A and Part-B.

Each question carries 4 marks in part-A and 12 marks in Part-B.

# PART – A (8x4 = 32 Marks) [Short Answer Type]

1 Form an integral equation corresponding to the differential equation

$$y''' + xy'' + (x^2-x)y = xe^x + 1$$
.  $y(0) = y'(0) = 1$ ,  $y''(0) = 0$ .

- 2 Solve the integral equation  $\int_{0}^{x} \sin(x-t) \varphi(t) dt = e^{x^{2}/2} 1$
- Write aid of resolvent kernel solve the integral equation  $\varphi(x) \lambda \int_{-\infty}^{1} x \, \xi \, \varphi(\xi) \, d\xi = x$ .
- 4 Show that the eigen values of a symmetric kernel are real.
- 5 State and prove the fundamental lemma of calculus of variation.
- 6 Find the extremals of the functional  $V[y_1, y_2] = \int_0^{\pi/2} \left[ y_1'^2 + y_2'^2 + 2y_1y_2 \right] dx;$

$$y_1(0) = 0$$
,  $y_1\left(\frac{\pi}{2}\right) = 1$ ,  $y_2(0) = 0$ ,  $y_2\left(\frac{\pi}{2}\right) = -1$ .

- 7 Write the ostrogradsky equation for the functional V =  $\iint_{D} \left[ \left( \frac{\partial z}{\partial x} \right)^{2} \left( \frac{\partial z}{\partial y} \right)^{2} \right] dx dy.$
- 8 State and prove Hamilton's principle.

PART – B (4x12 = 48 Marks) [Essay Answer Type]

9 a) With aid of resolvent Kenel solve the integral equatio

$$\varphi(x) = e^{x^2 + 2x} + 2 \int_{0}^{x} e^{x^2 - t^2} \varphi(t) dt$$

OR

b) Solve the integro-differential equation.

$$\varphi''(x) - 2\varphi'(x) + \varphi(x) + 2\int_{0}^{x} \cos(x - t) \varphi''(t) dt + 2\int_{0}^{x} \sin(x - t) \varphi'(t) dt = \cos x;$$
  
$$\varphi(0) = \varphi'(0) = 0$$

10 a) Define characteristic numbers and eigen functions of a homogeneous Fredholm integral equation of the second kind. Also solve the integral equation

$$\varphi(x) = \lambda \int_{0}^{1} xt \varphi^{2}(t) dt$$
.

OR

- b) Construct Green's function for the homogeneous BVP  $y^{IV} = 0$ ; y(0) = y'(0) = y''(1) = y'''(1) = 0.
- 11 a) Define Brachistochrone problem and show that it is a cycloid.

OF

- b) Find the extremals of the functional  $\mathbf{u}[\mathbf{y}(\mathbf{x})] = \int_{x_0}^{x_1} \left[ \mathbf{x}^2 (\mathbf{y}')^2 + 2\mathbf{y}^2 + 2\mathbf{x}\mathbf{y} \right] d\mathbf{x}$ .
- 12 a) Determine the extremal of the functional  $V[y(x)] = \int_{-\ell}^{\ell} \left[ \frac{1}{2} u y''^2 + \rho y \right] dx$  that satisfies the boundary conditions  $y(-\ell) = 0 = y'(-\ell) = y(\ell) = y'(\ell)$ .
  - b) Derive the differential equation of the free vibrations of a bar using the variational principle.

#### M.Sc. IV-Semester Examinations, May/June 2019

Subject : Mathematics

Paper-IV (C)

#### **Advanced Operation Research**

Time: 3 Hours

Max. Marks: 80

Note: Answer all questions from Part-A and Part-B. Each question carries 4 marks in Part-A and 12 marks in Part-B.

 $PART - A (8 \times 4 = 32 Marks)$ 

- 1 State the rules for determining a saddle point.
- 2 State the basic assumptions in a two-person zero-sum game
- 3 Explain the terms lead time and time Horizon.
- 4 Describe the basic characteristics of an inventory system.
- 5 State the necessary conditions for maximum/minimum objective function of a non linear programming problem.
- 6 Define Hessin matrix. What is its use?
- 7 State the sufficiency of Kuhn Tucker conditions.
- 8 How does quadratic programming problem differ from the linear programming problem?

**PART** - **B** 
$$(4 \times 12 = 48 \text{ Marks})$$

9 a) i) Use dominance property to solve the game whose pay off matrix is given by

|          | Player-B √ |   |    |     |    |   |
|----------|------------|---|----|-----|----|---|
|          |            | 1 | 11 | 111 | IV | V |
|          | 1          | 3 | 5  | 4   | 9  | 6 |
| Player-A | 11         | 5 | 6  | 3   | 7  | 8 |
|          | 111        | 8 | 7  | 9   | 8  | 7 |
|          | IV         | 4 | 2  | 8   | 5  | 3 |

ii) Outline briefly maximum strategies as applied to solution of two person zerosum games.

#### OR

- b) i) Summarise the systematic methods for solving the rectangular games.
  - ii) Explain the graphical method of solving 2 x n and m x 2 games.
- 10 a) i) What is ABC analysis? What are its advantages and limitations if any.
  - ii) Obtain the formula for EOQ value with shortage when the production is instantaneous.

b) The following information is known about a group of items. Classify the material in A, B, C classification.

| Model number | Annual consumption | Unit price (in paise) |  |
|--------------|--------------------|-----------------------|--|
|              | (in pieces)        |                       |  |
| 501          | 30,000             | 10                    |  |
| 502          | 2,80,000           | 15                    |  |
| 503          | 3,000              | 10                    |  |
| 504          | 1,10,000           | 5                     |  |
| 505          | 4,000              | 5                     |  |
| 506          | 2,20,000           | 10                    |  |
| 507          | 15,000             | 5                     |  |
| 508          | 80,000             | 5                     |  |
| 509          | 60,000             | 15                    |  |
| 510          | 8,000              | 10                    |  |

11 a) Use Kuhn-Tucker conditions to solve the following nonlinear programming problem Maximize  $Z = 2x_1^2 + 12x_1x_2 - 7x_2^2$ 

Subject to the constraints  $2x_2 + 5x_2 \le 98$ ;  $x_1, x_2 \ge 0$ 

b) Solve graphically the following NLPP

Maximize  $Z = 2x_1 + 3x_2$ 

Subject to the constraints  $x_1$ ,  $x_2 \le 8$ ;  $x_1^2 + x_2^2 \le 20$ ;  $x_1$ ,  $x_2 \ge 0$ 

12 a) Solve the following QPP using Wolf's method

Minimize 
$$Z = x_1^2 + x_2^2 + x_3^2$$

Subject to 
$$x_1 + x_2 + 3x_2 = 2$$

$$5x_1 + 2x_2 + x_3 = 5$$

$$x_1,\,x_2,\,x_3\geq 0$$

OR

Solve the following QPP by Bealis method Maximize  $= 2x_1 + 3x_2 - x_1^2$ Subject to the constraints

$$x_1 + x_2 \le 4$$

$$x_1, x_2 \geq 0$$